

Symmetrisches 3-Phasen-System:

KG - Aufgabe: KG 17 (Diebank)

Hausaufgabe: • KG 18 (3-Phasen-Trafo)
• Kapitel 6.9.1 (unsymm. Belastung)

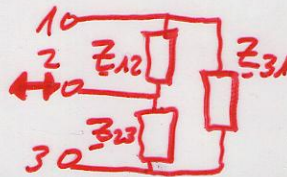
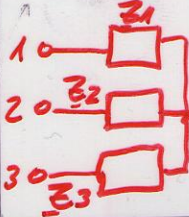
Hinweis: $\arg(\underline{I}_{1'2'}) = 0^\circ$
 $\arg(\underline{I}_{2'3'}) = -120^\circ$
 $\arg(\underline{I}_{3'1'}) = 120^\circ$

$$\Delta\varphi = \frac{2\pi}{3} \hat{=} 120^\circ$$

Bei Symmetrie

$\lambda - \lambda \rightarrow$ 1-phasiges ESB

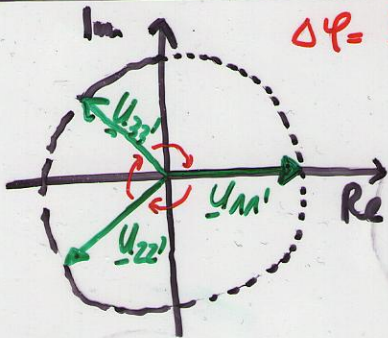
dazu: $\lambda - \Delta$ - und $\Delta - \lambda$ - Trafo



$$\underline{Z}_\lambda = \frac{1}{3} \underline{Z}_\Delta$$

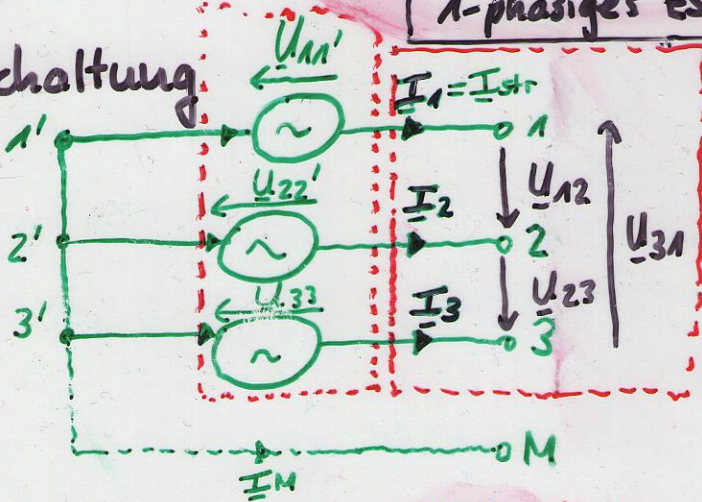
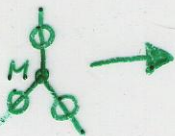
(wenn $\underline{Z}_1 = \underline{Z}_2 = \underline{Z}_3$ symm.)

1-phasiges ESB: siehe Bsp. 6.8.1.4



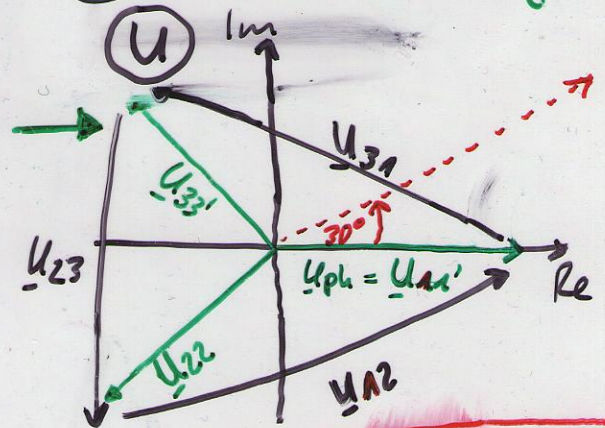
$$\underline{U}_{11'} + \underline{U}_{22'} + \underline{U}_{33'} = 0$$

1.) Sternschaltung



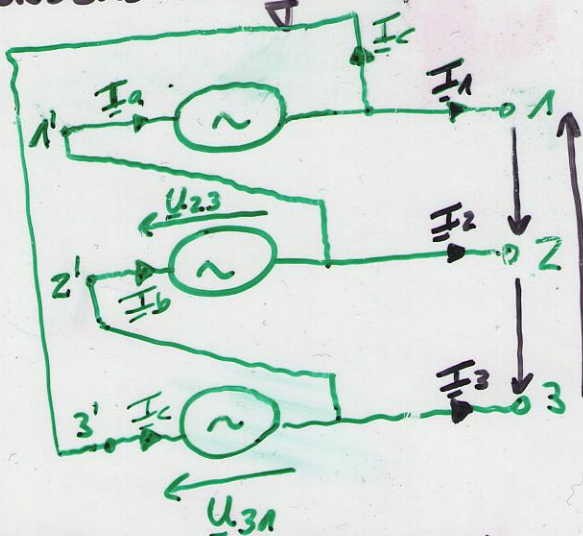
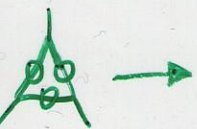
Strang (Außen-)leiter

Ⓢ Leiterstrom = Strangstr.



Es gilt: $\underline{U} = \sqrt{3} \underline{U}_{ph} e^{j30^\circ}$

2.) Dreieckschaltung



Ⓢ

Leiterspannung = Strangsp.



Es gilt: $\underline{I} = \sqrt{3} \underline{I}_{ph} e^{-j30^\circ}$

Gesamtleistung (3 x Phase)

$$\underline{S} = 3 \cdot \underline{U}_{str} \cdot \underline{I}_{str}^* = 3 \cdot \underline{U}_{str} \underline{I}_{str} e^{j\varphi} \quad (\text{über Strang})$$

$$\underline{S} = \sqrt{3} \cdot \underline{U} \cdot \underline{I} e^{j\varphi} \quad (\text{über Außenleiter})$$